

Table 2.1 gives definitions for various "average" diameters. For a lognormally distributed aerosol the different diameters defined in Table 2.1 can be related by the equation (Raabe, 1971)

$$d_p = d_g \exp(p \ln^2 \sigma_g) \quad (2.11)$$

TABLE 2.1 Definitions for Various "Average" Diameters

Indicated diameter	Symbol	Definition	Description
Mode	d_0 $p = -1$	d at maximum n_i	Diameter associated with the maximum number of particles in a distribution
Geometric mean	d_g $p = 0$	$\log^{-1}(\sum n_i \log d_i / \sum n_i)$	The Σn th root of the product of all particle diameters, also for a lognormal distribution the median diameter
Arithmetic mean	d $p = 0.5$	$\sum n_i d_i / \sum n_i$	The sum of all diameters divided by the total number of particles
d of average surface	d_s $p = 1$	$\sqrt{\sum n_i d_i^2 / \sum n_i}$	The diameter of a hypothetical particle having average surface area
d of average volume (mass)	d_v $p = 1.5$	$\sqrt[3]{\sum n_i d_i^3 / \sum n_i}$	The diameter of a hypothetical particle having average volume or mass
Surface median diameter	d_{smd} $p = 2$	$\log^{-1}(\sum n_i d_i^2 \log d_i / \sum n_i d_i^2)$	The geometric mean of the particle surface areas or for a lognormal distribution the area median diameter
Surface mean diameter (Sauter diameter)	d_{sm} $p = 2.5$	$\sum n_i d_i^3 / \sum n_i d_i^2$	The average diameter based on unit surface area of a particle
Volume median diameter (mass)	d_{vmd} $p = 3$	$\log^{-1}(\sum n_i d_i^3 \log d_i / \sum n_i d_i^3)$	The geometric mean of particle volumes (mass) or for a lognormal distribution the volume (mass) median diameter
Volume mean diameter (mass)	d_{vm} $p = 3.5$	$\sum n_i d_i^4 / \sum n_i d_i^3$	The average diameter based on the unit volume (mass) of a particle

p values assume a lognormal distribution.