



# Lecture 8

- Introduction to the IS-LM-BP model
- The Keynesian income model
- A numerical example
- The multiplier effect

# The Keynesian Income Model

- Keynesian cross approach:
  - ◆ Identity:  $Y = AE = C + I + G + X - M$  (Diagram)
  - ◆ All parts of AE are functions of  $Y \Rightarrow Y_e$ 
    - ◆ Disposable income:  $Y_d = Y - T = C + S$ ,  $T = tY$
    - ◆  $C = a + bY_d$  and  $S = -a + (1 - b)Y_d$ 
      - $a =$  autonomous consumption spending,  $b =$  MPC
    - ◆  $I = \bar{I}$ ,  $G = \bar{G}$ ,  $X = \bar{X}$  (Autonomous I, G, X)
    - ◆  $M = \bar{M}$  (autonomous imports) +  $mY$  (induced imports)
      - $m =$  MPM =  $\Delta M / \Delta Y$ ,  $APM = M/Y$ ,  $YEM = MPM/APM$
- Leakages and injections approach:
  - ◆ Leakages (money leaving the spending stream):  $S$ ,  $T$ ,  $M$
  - ◆ Injections (money entering the spending stream):  $I$ ,  $G$ ,  $X$
  - ◆ Equilibrium:  $S + T + M = I + G + X$  (Diagram)

# C/A and National Income

- C/A can be summarized as  $(X - M)$ , including goods and services (C/A in deficit if  $X < M$ )
- Basic macroeconomic identity:  
$$Y = AE = C + I + G + (X - M) \quad (\text{nation})$$
$$Y = C + S + T \quad (\text{household})$$
- Understanding the C/A balance  
$$(X - M) = Y - (C + I + G) \quad (\text{income} - \text{spending})$$
$$(X - M) = (S - I) + (T - G) \quad (\text{private} + \text{public saving})$$

⇒ C/A deficit implies the nation is in debt

⇒ K/A must be in surplus as capital inflow > outflow to finance debt

# A Numerical Example

## ■ Assumptions:

Induced:  $C = 100 + 0.8 Y_d$ ,  $Y_d = Y - T$ ,  $T = 0.25 Y$ ,  $M = 20 + 0.1Y$ ,  
Autonomous:  $I = 180$ ,  $G = 600$ ,  $X = 140$

## ■ Keynesian cross approach:

- ◆  $C = 100 + 0.8(Y - 0.25Y) = 100 + 0.6Y$
- ◆  $AE = C + I + G + X - M = 100 + 0.6Y + 180 + 600 + 140 - (20 + 0.1Y)$
- ◆  $AE = 1000 + 0.5Y = Y \Rightarrow Y_e = 2000$

## ■ Leakages and injections approach:

- ◆  $S + T + M = Y - 0.25Y - (100 + 0.6Y) + 0.25Y + (20 + 0.1Y) = -80 + 0.5Y$
- ◆  $I + G + X = 180 + 600 + 140 = 920$
- ◆  $S + T + M = I + G + X \Rightarrow -80 + 0.5Y = 920 \Rightarrow Y_e = 2000$

## ■ Current account:

- ◆  $X - M = 140 - (20 + 0.1 * 2000) = -80$

# The Multiplier Effect

- Autonomous spending multiplier:

- ◆ Why multiplied?

The spending stream:  $I \uparrow \rightarrow Y \uparrow \rightarrow C, M \uparrow \rightarrow Y \uparrow$

- ◆ Definition:

The multiplier gives the change of equilibrium income as autonomous spending on C, I, G, or X is changed, which is  $\Delta Y / \Delta AE_{\text{autonomous}}$

- Open-Economy multiplier ( $k_0$ ):

$$Y = (a + b(1-t) Y) + I + G + X - (M + mY)$$

$$= a + (b(1-t) - m)Y + I + G + X - M$$

$$\Rightarrow (1 - b(1-t) + m)Y = a + I + G + X - M$$

$$\Rightarrow k_0 = \Delta Y / \Delta AE_{\text{autonomous}} = 1 / (1 - MPC(1-t) + MPM)$$

- Foreign repercussions:

$$I \uparrow \rightarrow Y \uparrow \rightarrow M \uparrow \rightarrow X^* \uparrow \rightarrow Y^* \uparrow \rightarrow M^* \uparrow \rightarrow X \uparrow \rightarrow Y \uparrow$$